A $\qquad$ is an angle whose vertex is the center of a circle.

An $\qquad$ is an unbroken part of a circle consisting of two points called the endpoints and all the points on the circle between them.

| Arc | Measure | Diagram |
| :---: | :---: | :---: |
| A $\qquad$ is an arc whose points are on or in the interior of a central angle. <br> Must be named by $\qquad$ points. | The measure of a minor arc is equal to the measure of its $\qquad$ $\qquad$ . |  |
| A $\qquad$ is an arc whose points are on or in the exterior of a central angle. <br> Must be named by $\qquad$ points. | The measure of a major arc is equal to $\qquad$ minus the measure of its $\qquad$ |  |
| If the endpoints of an arc lie on a diameter, the arc is a | The measure of a semicircle is equal to $\qquad$ . |  |
| $\qquad$ are arcs of the same circle that intersect at exactly one point. $\qquad$ and $\qquad$ are adjacent arcs. |  |  |


$\qquad$ are two arcs that have the same measure. In the figure, $\qquad$ $\cong$ $\qquad$

Arc Addition Postulate: The measure of an arc formed by two adjacent arcs is the sum of the measures of the two arcs.
$\qquad$ are two arcs that have the same measure.

Theorem 11-2-2: In a circle, or congruent circles...

1. central angles $\qquad$ $\rightarrow$ chords $\qquad$
2. chords $\qquad$ $\rightarrow$ arcs $\qquad$
3. arcs $\qquad$ $\rightarrow$ central angles $\qquad$


Theorem 11-2-3: In a circle, if a radius (or diameter) is $\qquad$ to a chord, then it bisects the chord and its arc.
$\qquad$ or a chord is a radius (or diameter).

## Examples:

1. Find each measure
a. Measure of arc JKL
b. measure of arc LJN

2. $\overline{T V} \cong \overline{W S}$. Find measure of arc WS.

3. Circle $\mathrm{C} \cong$ circle J and $\mathrm{m} \angle \mathrm{GCD} \cong \mathrm{m} \angle \mathrm{NJM}$. Find NM .

4. Ray PT bisects $\angle \mathrm{RPS}$. Find RT.

5. Find NP.

