

Name Key

Date _____

Period _____

Measuring Segments

Finding the distance between two points on a number line is relatively *trivial*, which means it is something that we accept without much proof needed to verify. This is what we call a POSTULATE or an AXIOM in Geometry.

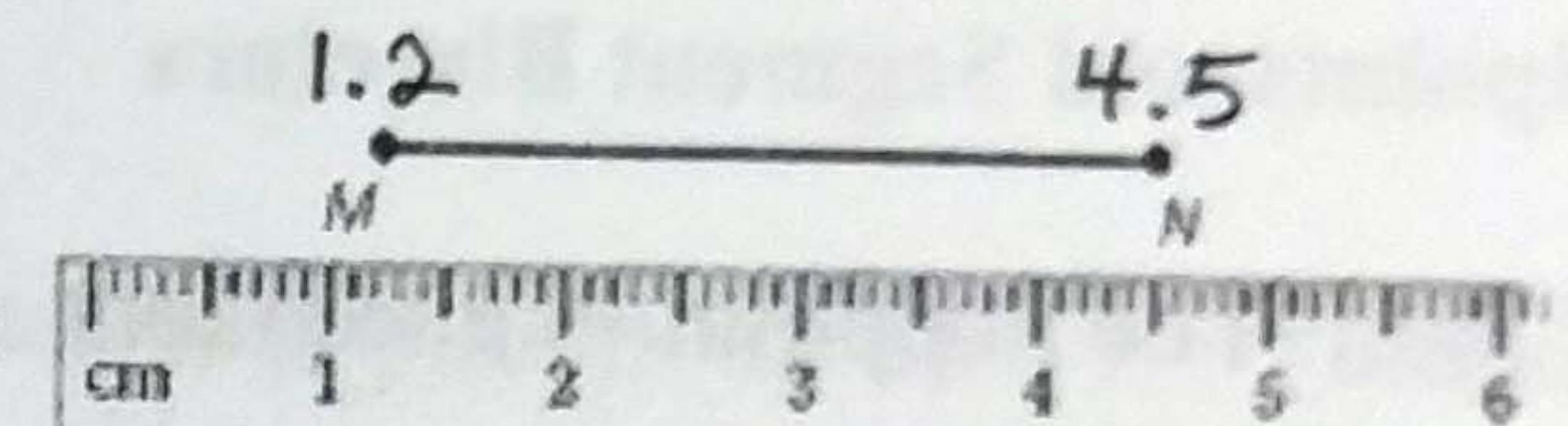
Ruler Postulate: The distance between 2 points is the ABSOLUTE VALUE of the DIFFERENCE of the two coordinates.



Example: 1. Measure the length of \overline{MN} to the nearest tenth of a centimeter.

$$\begin{aligned} MN &= |4.5 - 1.2| \\ &= |3.3| \\ &= 3.3 \end{aligned}$$

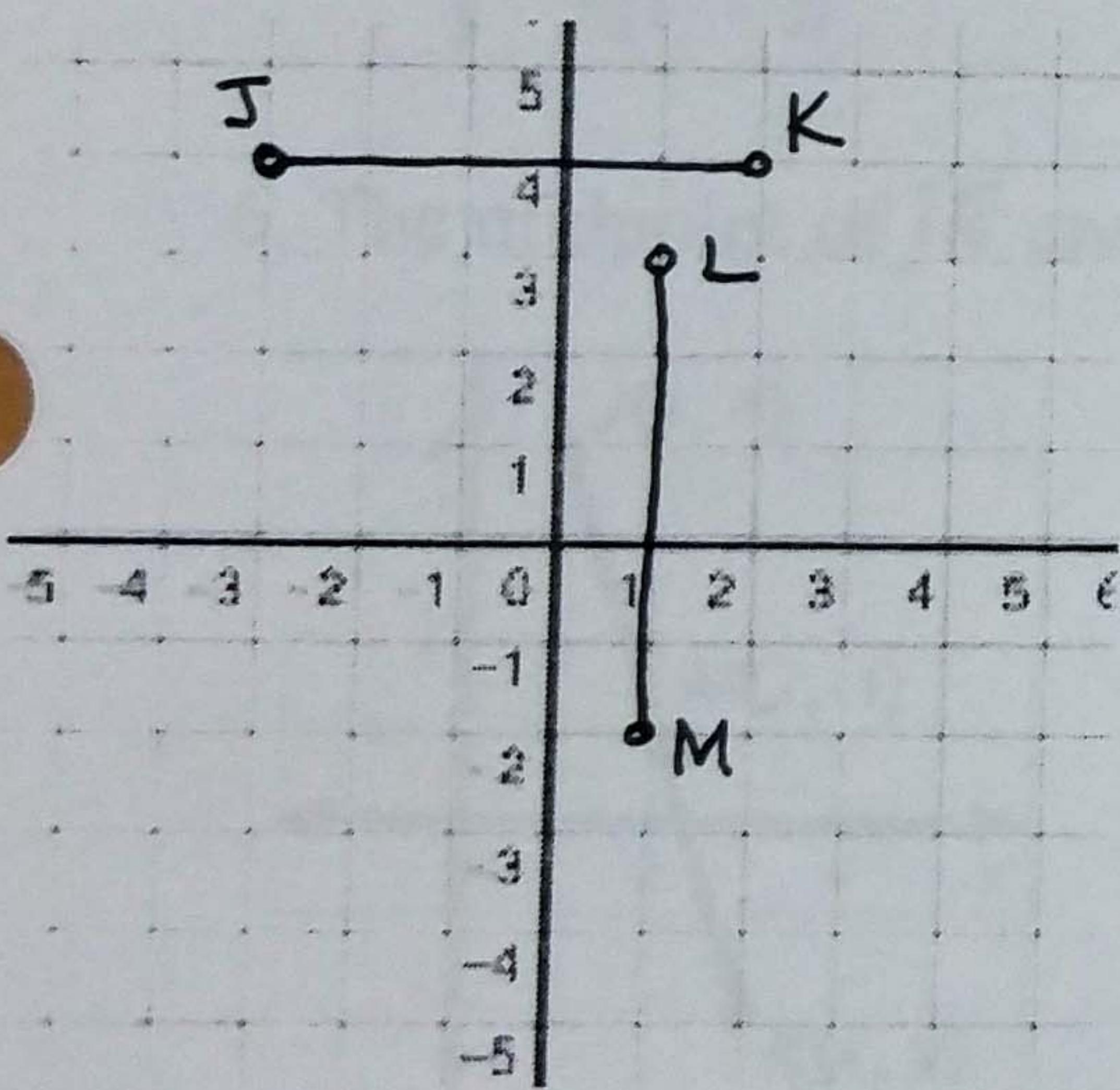
\overline{MN} IS 3.3 CM LONG



Congruent Segments

Line segments that have the SAME length are called CONGRUENT SEGMENTS (\cong SEGMENTS)

Example: 2. Plot J(-3, 4), K(2, 4), L(1, 3) and M(1, -2) in the coordinate plane below. Then determine whether \overline{JK} and \overline{LM} are congruent.



\overline{JK} HORIZONTAL SEGMENT: USE x-COORDS

$$\begin{aligned} JK &= |2 - (-3)| \\ &= |5| \\ &= 5 \end{aligned}$$

\overline{LM} VERTICAL SEGMENT : USE y-COORDS

$$\begin{aligned} LM &= |-2 - 3| \\ &= |-5| \\ &= 5 \end{aligned}$$

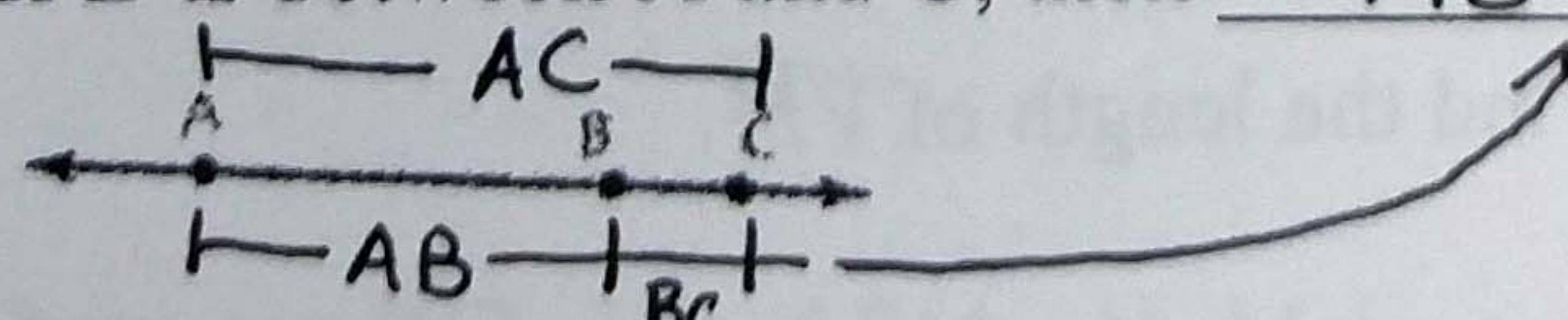
$$JK = LM = 5$$

THEY HAVE THE SAME LENGTH, SO $\overline{LM} \cong \overline{JK}$

Using the Segment Addition Postulate

**When three points are collinear, we can say that one point is BETWEEN the other two.

Segment Addition Postulate: If B is between A and C, then $AB + BC = AC$.



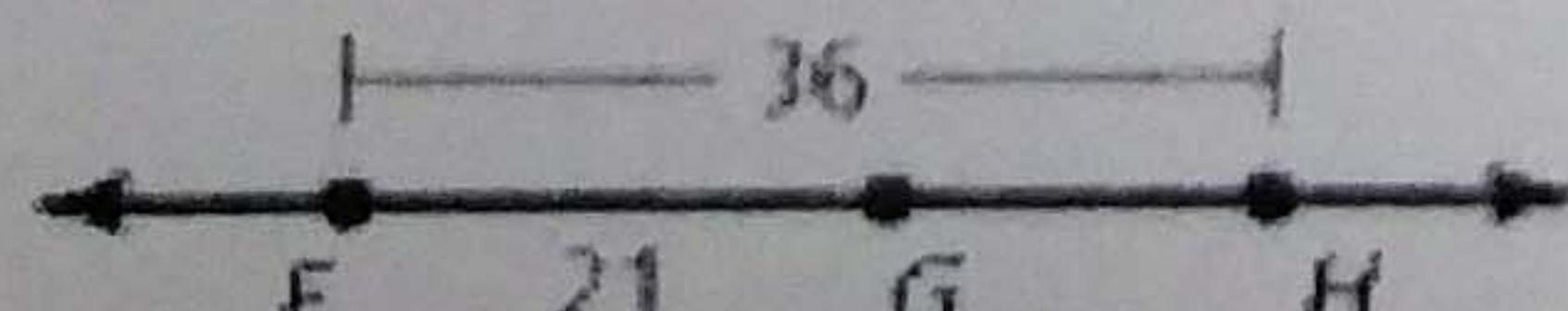
Examples:

3. Find DF. (*remember, no bar on top of DF means find its LENGTH)



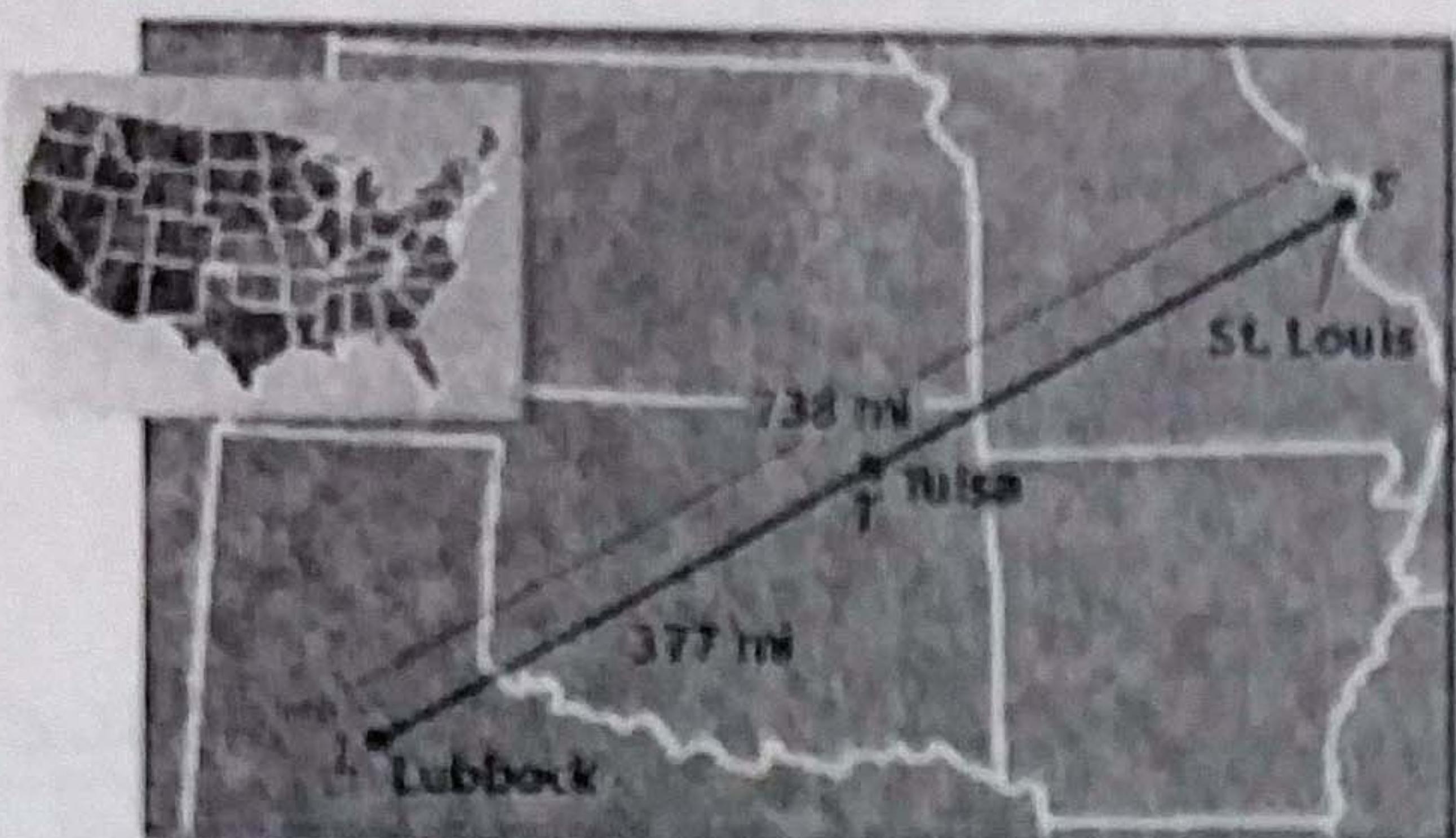
$$\begin{aligned} DF &= DE + EF \\ DF &= 23 + 35 \end{aligned} \rightarrow DF = 58$$

4. Find GH.



$$\begin{aligned} FH &= FG + GH \\ 36 &= 21 + GH \\ 15 &= GH \end{aligned}$$

5. How far is Tulsa from St. Louis?



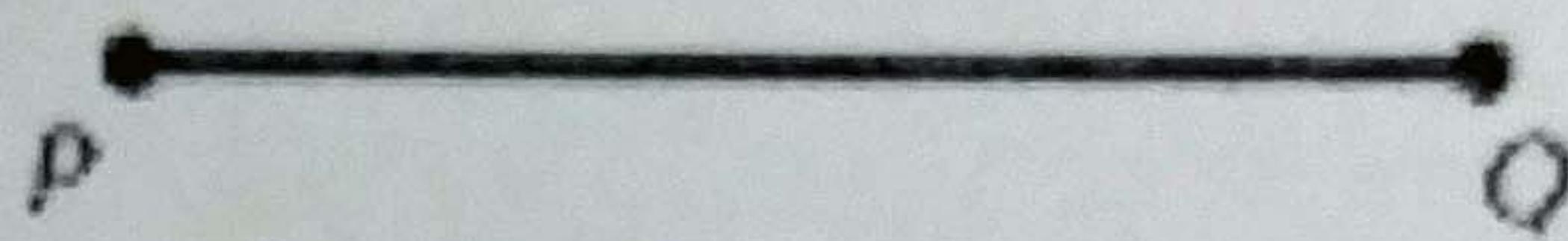
LS = 738 MILES
LT = 377 MILES
TS = ?

$$\begin{aligned} LS &= LT + TS \\ 738 &= 377 + TS \\ 361 &= TS \end{aligned}$$

TULSA IS 361 MILES FROM ST. LOUIS.

Midpoints and Segment Bisectors

Midpoint: The midpoint of a segment is the point that divides the segment into _____.



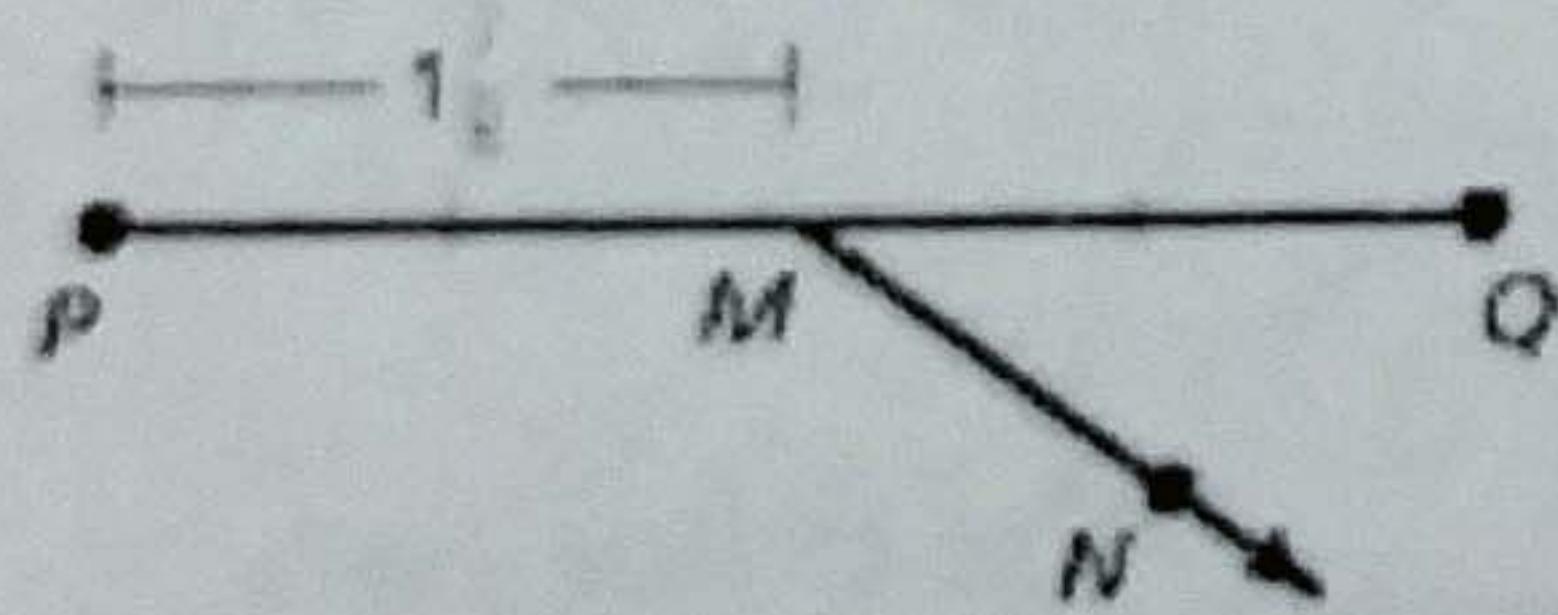
Segment Bisector: A segment bisector is a _____ that intersects the segment at its _____.

Examples:

1. Make a sketch of the following phrase: " \overline{VW} bisects \overline{XY} at point T."

2.

3. Identify the segment bisector of \overline{PQ} . Then find PQ .



Using Algebra with Segment Lengths

Example: 4. Point M is the midpoint of \overline{VW} . Find the length of \overline{VM} .

